▶ SERGEY OSPICHEV, Some properties of computable numberings in various classes in difference hierarchy.

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In this work are considered computable numberings [4] of families from various classes  $\Sigma_{\alpha}^{-1}$  in difference hierarchy [2], where  $\alpha$  is computable ordinal number.

It is shown that there are no computable numbering of the family of all sets from class  $\Delta_{\alpha}^{-1}$ , where  $\alpha$  is computable ordinal number.

**Definition**. Numbering  $\{\nu_n\}_{n \in \omega}$  is called  $\omega$ -computable, if a set  $\{ < m, n > | m \in \omega \}$  $\nu_n$  is in class  $\Delta_{\omega}^{-1}$ .

In work is annonced **Theorem**. There is a  $\omega$ -computable minimal numberings of the family of all sets from class  $\bigcup_{n \in \omega} \Sigma_n^{-1}$  in difference hierarchy. In work [3] were proved that for all finite classes in difference hierarchy  $\Sigma_n^{-1}$  there is

minimal Friedberg numbering of the family of all sets from  $\Sigma_n^{-1}$ .

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